## Compsci 369

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Test 2017
Most Common Mistakes

Suppose that the columns of a matrix $A$ are mutually orthogonal but not necessarily normalised. Then the strongest statement we can make about $A^{T} A$ is that it is

- Lower triangular
© Upper triangular
- Diagonal
- The identity

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The 4th hardest question: Question 1 $55 \%$ correct

What is the smallest value of $x \geq 0$ for which the condition number $f(x)=e^{2 x}$ is greater than or equal to 1000 ?

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(2) 1000
- $e^{2000}$
- $\frac{1}{2} \log (1000)$

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$47 \%$ correct

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