


Ontology 1

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CS 367


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Definition

- Ontology
 - (1): a science or study of being; specifically, a branch of metaphysics relating to the nature and relations of being. (2): a particular system according to which problems of the nature of being are investigated.
 - a theory concerning the kinds of entities and specifically the kinds of abstract entities that are to be admitted to a language system.

Webster's 3rd. New International Dictionary


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Definition

- Ontology
 - (1): a science or study of being; specifically, a branch of metaphysics relating to the nature and relations of being. (2): a particular system according to which problems of the nature of being are investigated.
 - a theory concerning the kinds of entities and specifically the kinds of abstract entities that are to be admitted to a language system.
- language -> communication & understanding


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Why?

- If people or agents are to communicate they must share a common understanding
- "Waiter, that was a beautiful duck, please get me the bill"
- The elephant stood on the table, it broke!


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Why?

- Understanding means we share the meaning of words or concepts
 - Red, tiger, ocean, love, mother...
- Understanding also needs common sense
 - Which is quicker, a *fast* car or a *fast* plane?

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Why?

- Ontologies deal with defining concepts and relations
- Conceptual graphs, KIF, Ontolingua, commonKADS, ...
- They are a dictionary
- They can also be used to define problem solving K and common sense K

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Why?

- An ontology is a formal description of the concepts and relations shared by a community of agents
- Like a formal specification of a program

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An example

- Mother
 - An animal that is the female parent of children
- Animal
 - A living thing – contains DNA
- Living
 - A temporary state for some things requiring energy
- Thing
 - An atomic concept

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An example

- Mother from the CYC ontology
 - `#$biologicalMother : <#$Animal><#$FemaleAnimal> (#$biologicalMother OFFSPRING FEMALE)` means that `#$FemaleAnimal FEMALE` is the female biological parent of the `#$Animal OFFSPRING`.

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An example

- `#$Animal`
 - The collection of all animals; this large class of organisms is one instance of `#$BiologicalKingdom`. Animals are typically motile, living, whole organisms; they are elements of `#$Heterotroph`, incapable of performing instances of `#$Photosynthesis`. Animal cells contain cholesterol and lack cell walls made of cellulose. `#$Person` is a subset of `#$Animal`

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A problem

- These definitions necessarily bottom out in expressions containing undefinable primitive atomic concepts
- We provide the *meaning*
- This is *The Chinese Room* problem identified by Searle
- The computer does not *understand* the symbols it manipulates

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The Knowledge Level

- Allen Newell (1982)
AI Vol. 18 pp. 87-127

abstraction ↑

- Knowledge Level (goals, actions...)
- Program (symbol) Level (data, commands)
- Logic Level (bits)
- Circuit Level (current, voltage)
- Device Level (electrons)

↓ to write a program you do not need to instruct electrons where to go

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The Knowledge Level

- To describe K you do not need to use a specific programming language

Each level can be reduced to the one below ↓

- Knowledge Level (goals, actions...)
- Program (symbol) Level (data, commands)
- Logic Level (bits)
- Circuit Level (current, voltage)
- Device Level (electrons)

But we do not need to worry how it is implemented

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The Knowledge Level

- Newell's principle of rationality:
"if an agent has knowledge that one of its actions will lead to one of its goals, then the agent will select that action"
- A direct relation to autonomous intelligent agents
- Thus the goals and K of agents are described at the Knowledge Level

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The Knowledge Level

- Knowledge:
"whatever can be ascribed to an agent, such that its behavior can be computed according to the principle of rationality"
- K is characterised functionally in terms of what an agent does, not how it is represented (encapsulation)

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The Knowledge Level

- We require a K Level representation to describe the K and goals of our agents
- Allow our agents to communicate
- And perform according to the principle of rationality

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Declarative Programming?

- AI programs commonly contain K written as statements of fact
 - conventional programs describe procedures for manipulating data (for, until, while...)
- In Prolog
 - `mother(X,Y):- female(X), parent(X,Y).`
 - X is the Mother of Y if X is Female and X is the Parent of Y.

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Declarative Programming

- Prolog (Programming in Logic) is an implementation of Predicate Calculus
- all basket ball players are tall
 $\forall X (\text{basketball_player}(X) \Rightarrow X(\text{tall}))$
- some people like brussel sprouts
 $\exists X (\text{person}(X) \Rightarrow \text{likes}(X, \text{sprouts}))$

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Declarative Programming

- Why not use Logic as our ontological K level language?
- logic is hard to read – even for computer scientists
- Some statements are hard to express
 - “everyone loves someone”
- Poor communication medium

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K & Communication

- Which is easier to understand?
 - isa(house,building).
 - isa(slates,covering).
 - isa(tiles,covering).
 - partof(substructure,building).
 - partof(superstructure,building).
 - partof(roof,superstructure).
 - hasa(covering,roof).
 - hasa(area,roof).

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K & Communication

- Which is easier to understand?

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K & Communication

- Prolog can be represented graphically
- Prolog is logic
- Therefore logic can be represented graphically
- As Semantic networks

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K & Communication

- Semantic networks range from ad hoc partially formalised representations using simple labels (isa, hasa, partof)
- To formal representations such as Conceptual Graphs

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Conceptual Graphs

- Sowa, J.F. (1984)
Conceptual Structures: information processing in mind and machine.
Addison Wesley, Reading Massachusetts
- Science Library 001.535 S73
- <http://www.bestweb.net/~sowa/cg/>

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Conceptual Graphs

- A logic based on existential graphs & semantic nets
 - Logically precise
 - Humanly readable
 - Direct mapping to natural language
 - Direct mapping to computer implementations
- Intermediate K Rep.

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Conceptual Graphs


- CGs have 3 forms
 - Graphical display form (DF)
 - readable
 - Linear form (LF)
 - compact
 - Conceptual graph interchange form (CGIF)
 - interoperable

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Conceptual Graphs



- A cat is on a mat
 - DF = 
 - LF = [Cat]->(On)->[Mat]
 - CGIF = (exists ((?x Cat) (?y Mat)) (On ?x ?y))
- Maps to the predicate calculus:
 $(\exists x:Cat)(\exists y:Mat)on(x,y).$


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Conceptual Graphs

- A cat is on a mat
 - A concept [Cat] 
 - A relation (On) 
 - Relations are linked to concepts by arcs \rightarrow

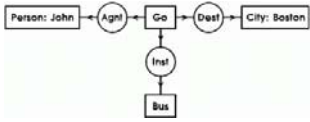


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Conceptual Graphs

- John is going to Boston by bus
 - 
 - [Go]-
(Agnt)->[Person: John]
(Dest)->[City: Boston]
(Inst)->[Bus]

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Conceptual Graphs

- John is going to Boston by bus

- [Person: John] John is *referent*, a specific instance of a Person

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Conceptual Graphs

- $(\exists x1:\text{Person})(\exists x2:\text{Believe})(\text{expr}(x1,x2) \wedge \text{thme}(x2, (\exists x3:\text{Person})(\exists x4:\text{Want})(\exists x8:\text{Situation}) (\text{name}(x3,\text{'Mary'}) \wedge \text{expr}(x4,x3) \wedge \text{thme}(x4,x8) \wedge \text{dscr}(x8, (\exists x5:\text{Marry})(\exists x6:\text{Sailor}) (\text{agnt}(x5,x3) \wedge \text{thme}(x5,x6))))))$
- Any idea????

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Conceptual Graphs

- Tom believes that Mary wants to marry a sailor

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Conceptual Graphs

- Concepts are typed (a type hierarchy)
- CHILD < PERSON *child is a person*
- PERSON < ANIMAL *person is a animal*

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Conceptual Graphs

- Concepts and relations can be described by *canonical* graphs
- ANIMAL < ANIMATE, PHYSOBJ, ¬Machine
- an animal is an animate physical object not a machine*
- The type hierarchy & canonical graphs check that concepts and relations are used correctly
- [ACT]->(AGNT)->[ANIMATE]

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Conceptual Graphs

- TEACH < ACT
 - [TEACH] -
 - (AGNT) -> [ANIMATE]
 - (RCPT) -> [ANIMATE]
 - (OBJ) -> [SUBJECT-MATTER]
 - [TEACH] -
 - (AGNT) -> [Lecturer: Ian]
 - (RCPT) -> [Student: {*}]
 - (OBJ) -> [Paper: CS.367]

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Exercises

- For next lecture
 - Create some simple CGs describing going to the movies
 - Define the concepts required and the relations
 - Create type hierarchies and canonical graphs to define your concepts and relations