

**Wide-Angle
Image Acquisition,
Analysis and Visualisation**

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Ralf Reulke, Herbert Jahn, ... ----- German Aerospace Centre



**design and application of
spaceborne and airborne scanners**

CITR

**methods and algorithms for
stereo analysis and 3D visualisations**

Georgy Gimel'farb, Reinhard Klette, ...



Contents of Talk

- Multi-line and single-line CCD cameras
- Camera calibration
- Registration of airborne and panoramic images
- Epipolar geometry
- Stereo matching
- Visualisation
- Conclusions

2001 Example of wide-angle view - *Auckland* ($h=3000\text{m}$, $\text{GSD}=1\text{m}$)



First techniques for capturing an aerial view

construct one from the principles of perspective

1500

Jacopo de Barbari - *Vista de Venecia*



1878

B. McQuillan - *Bird's Eye View from the Bay looking southwest. San Francisco*

The balloon provided a platform for the first aerial photographs

1858

Felix Tournachon (*nom de plume* Nadar)



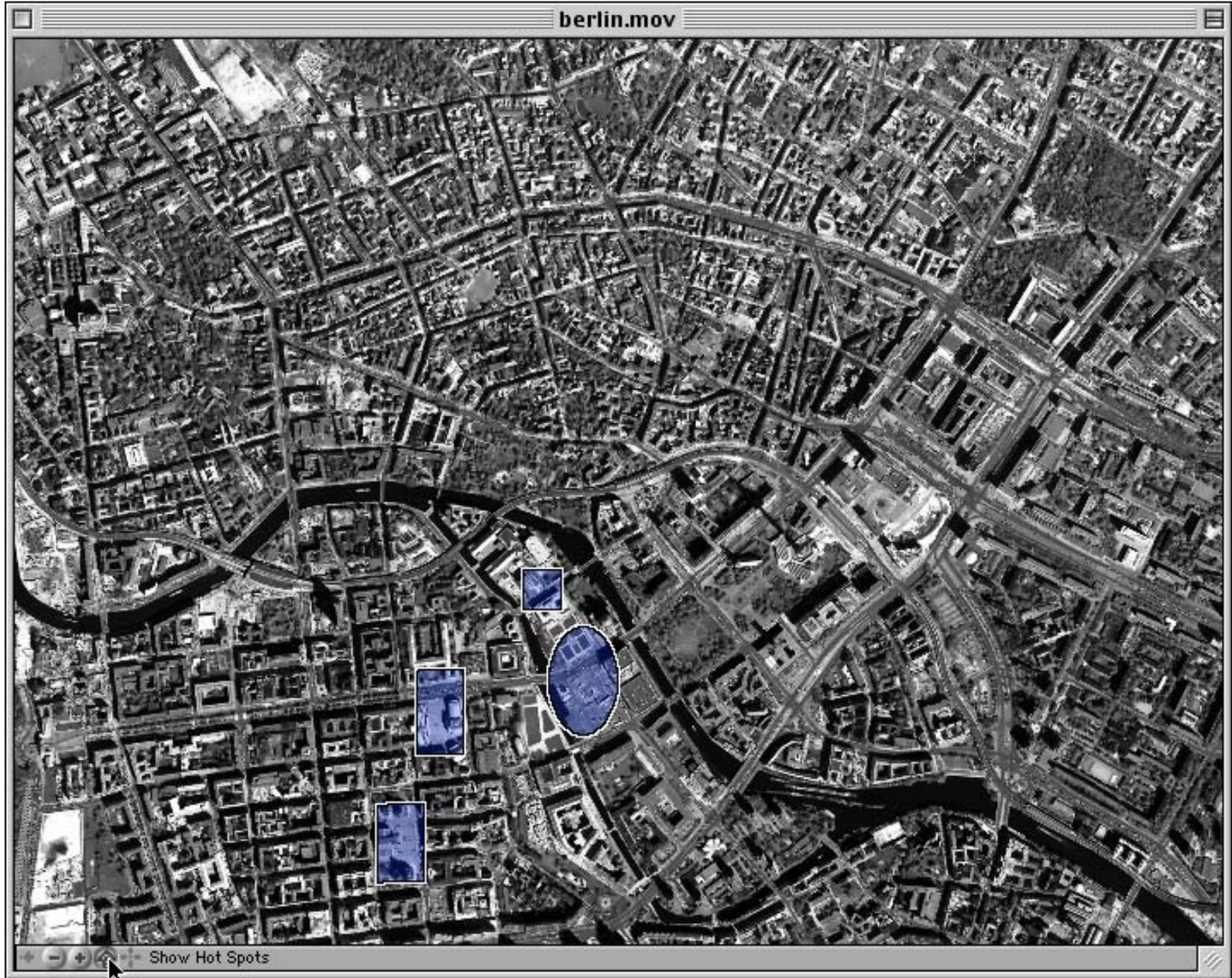
- *the first aerial photograph over the Bievre Valley*



1860

James Wallace Black - *Boston from a captive balloon, October 13, 1860.*

2000 Interactive aerial maps with panoramic images

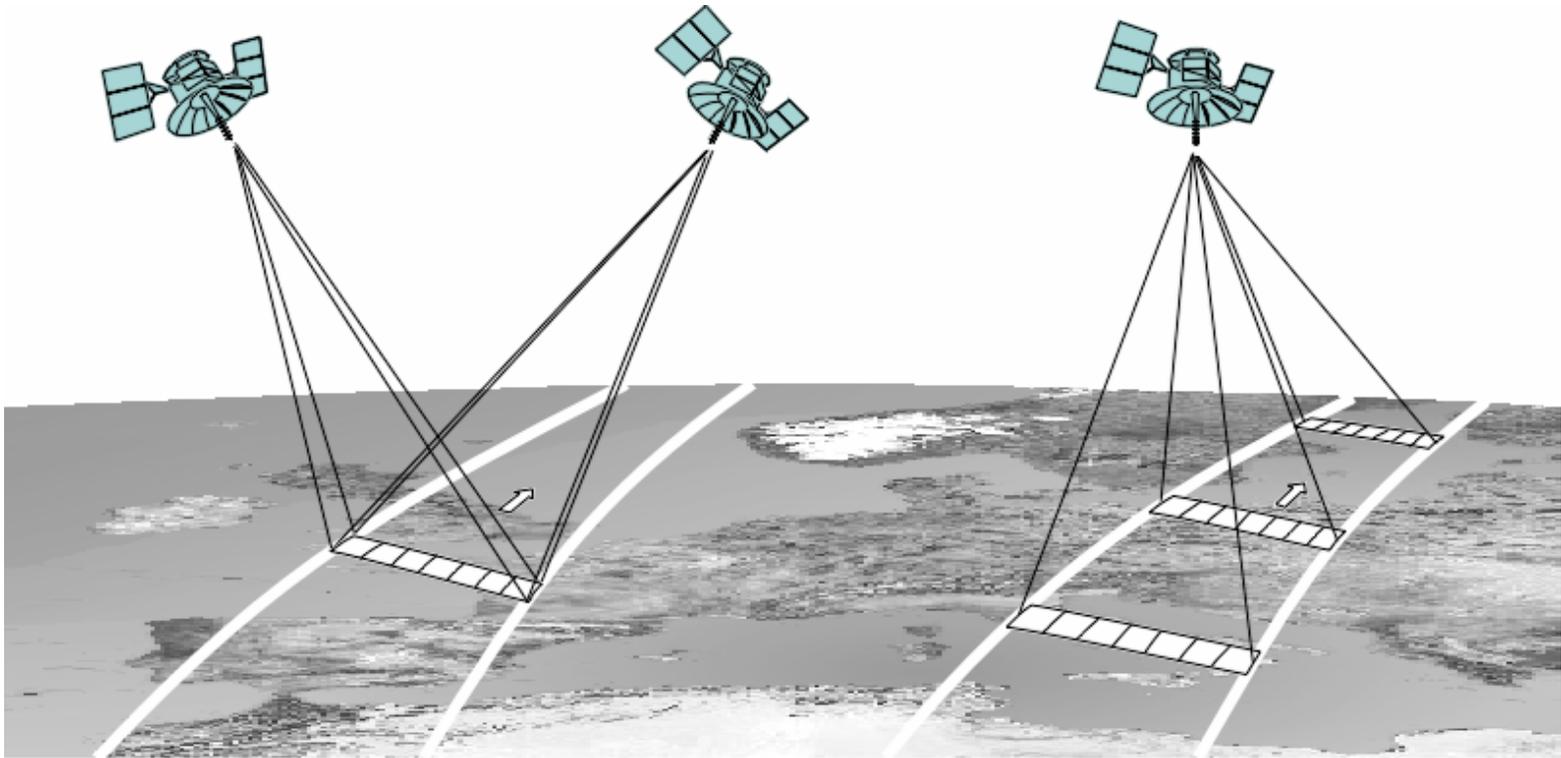


Berlin 2000



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CCD Multi-Line Cameras



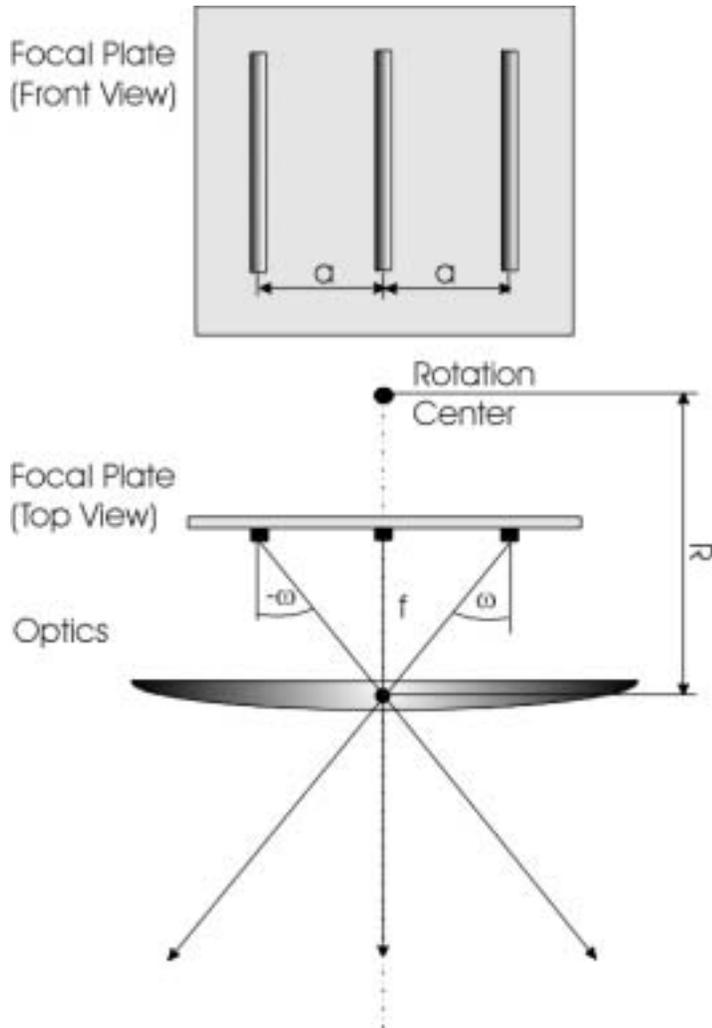
pushbroom principle for spaceborne cameras

1986

across-track (SPOT)

along-track (MOMS)

1994



model of a three-line camera

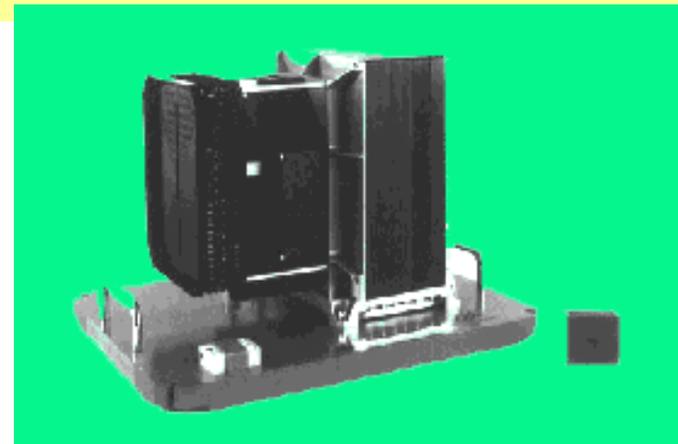
1998

WAAC (Wide Angle Airborne Camera)

1m GSD (ground sample distance) at 3000m

3 lines: backward, nadir, forward

each line 5k pixel, gray values only



WAAC flight campaign in Auckland 2001

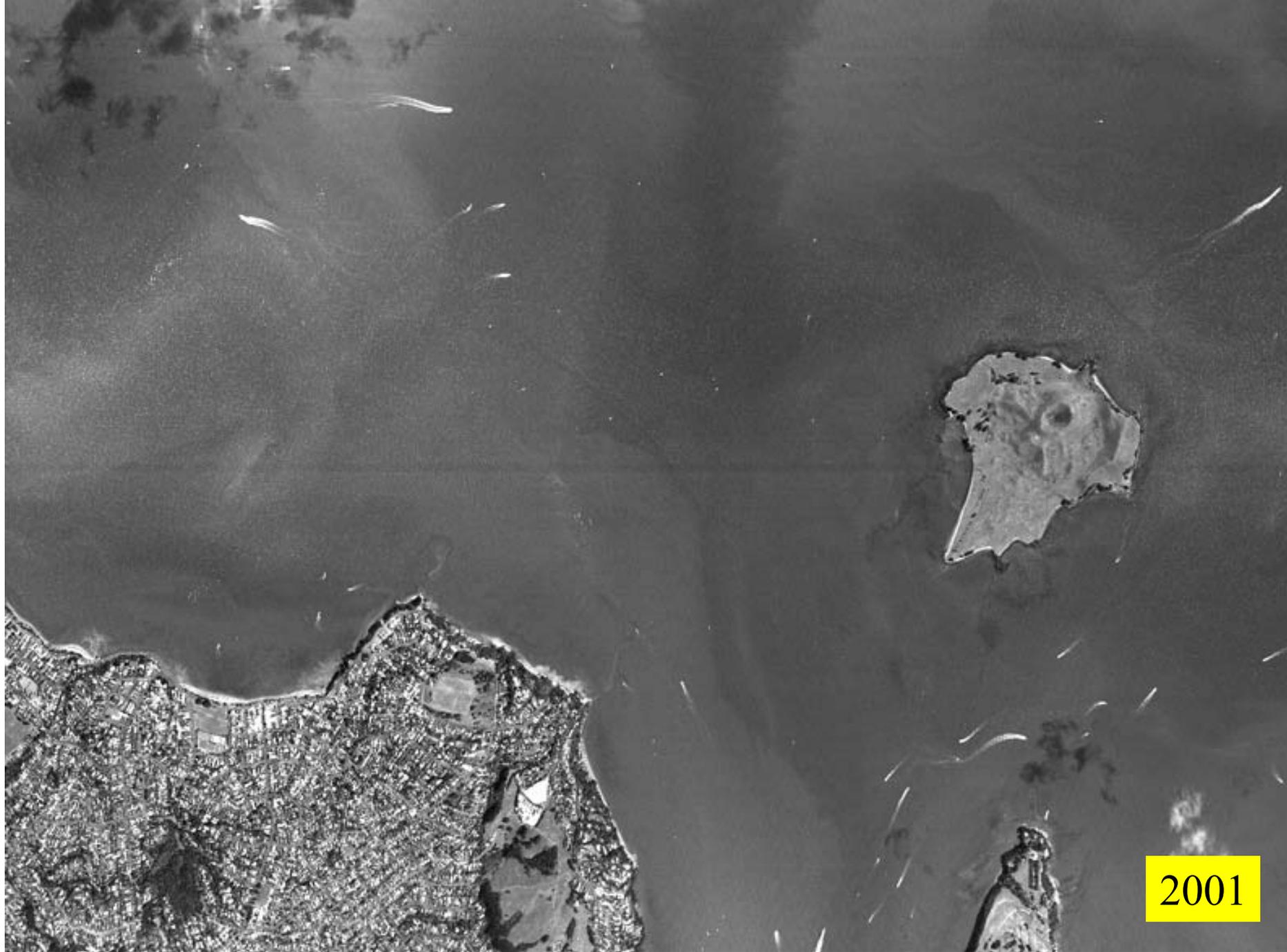
2001



NZ Aerial Mapping Ltd

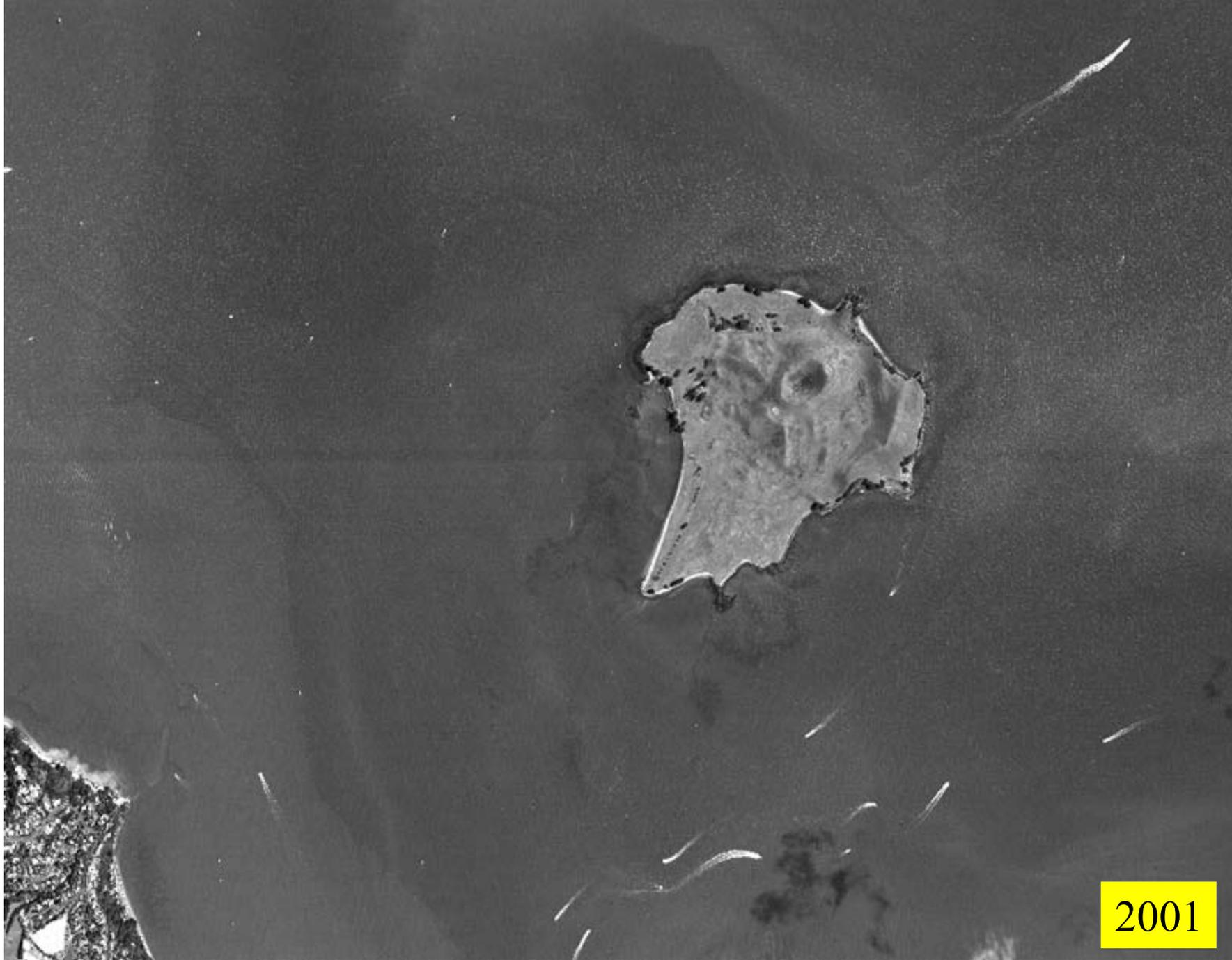


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2001

Klette-Gimel'farb-Reulke



2001

Klette-Gimel'farb-Reulke

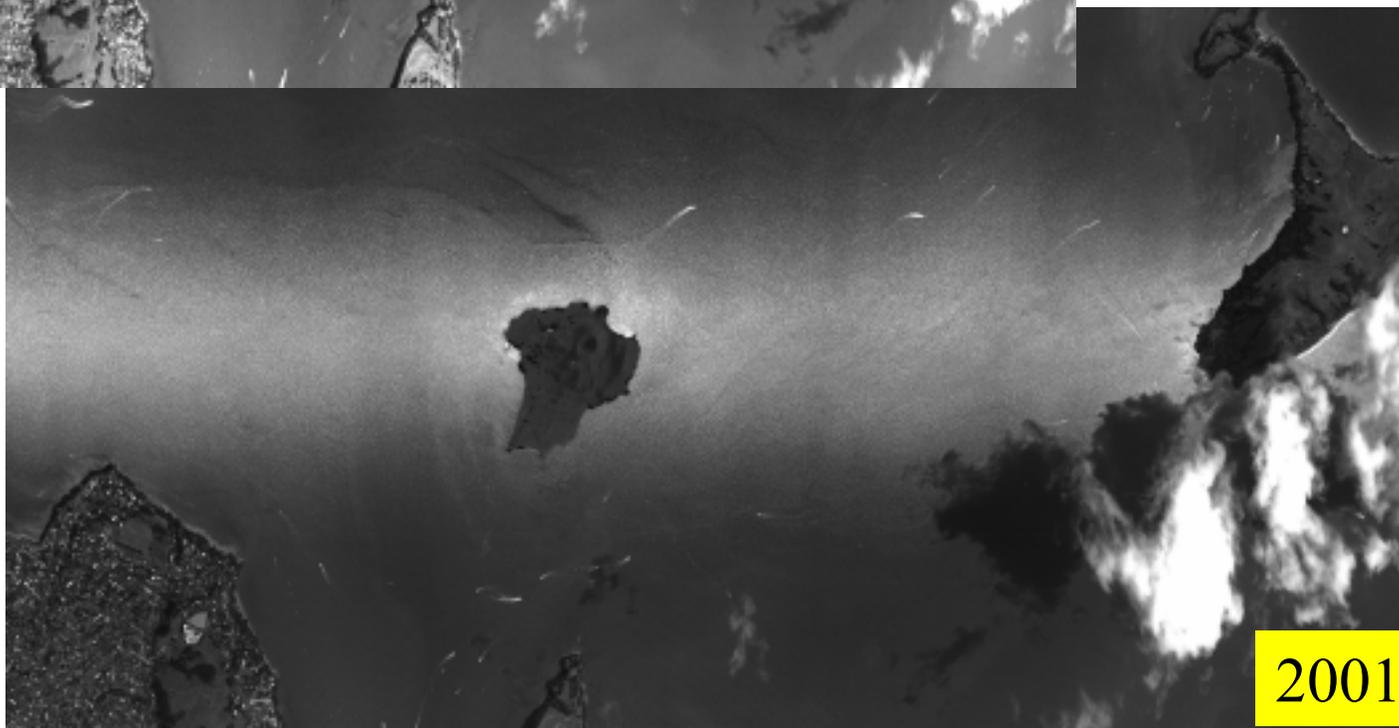


2001

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Nadir Image



Backward
Image

2001



Problems of **panoramas** by **mosaicing** (image stitching):

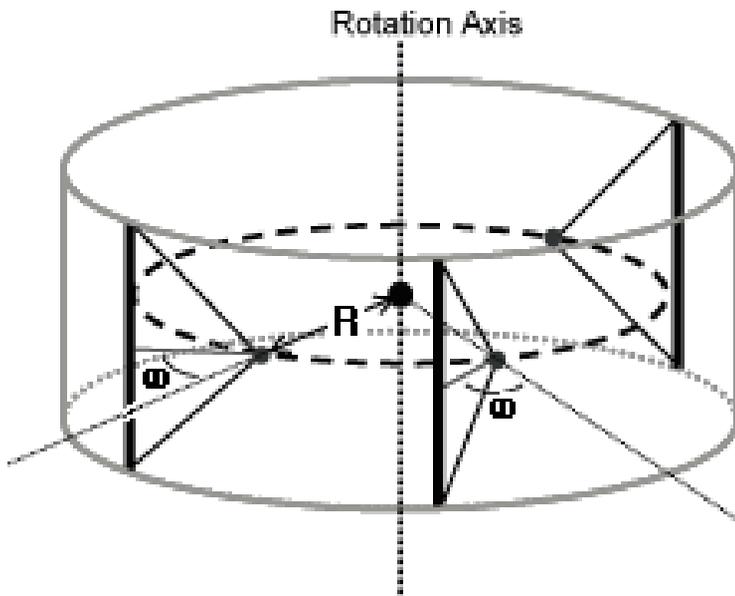
- low-pass effect due to merging
- geometric distortions (“straight lines not straight”)





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CCD Single-Line Cameras



model of single-line camera



EyeScan M2 Metric 2000

10,200 pixels in one line

360 degree rotation >>>

3.5 Giga Byte

2001

Panoramic Image with EyeScan
capturing time: 3 min



16-18 February 2001: Conference “**Robot Vision**”
Auckland, CITR Tamaki



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February 1995



first panoramic image taken with a line camera (WAOSS/HRSC)

-
view from the roof of Dornier / Germany

May 1995



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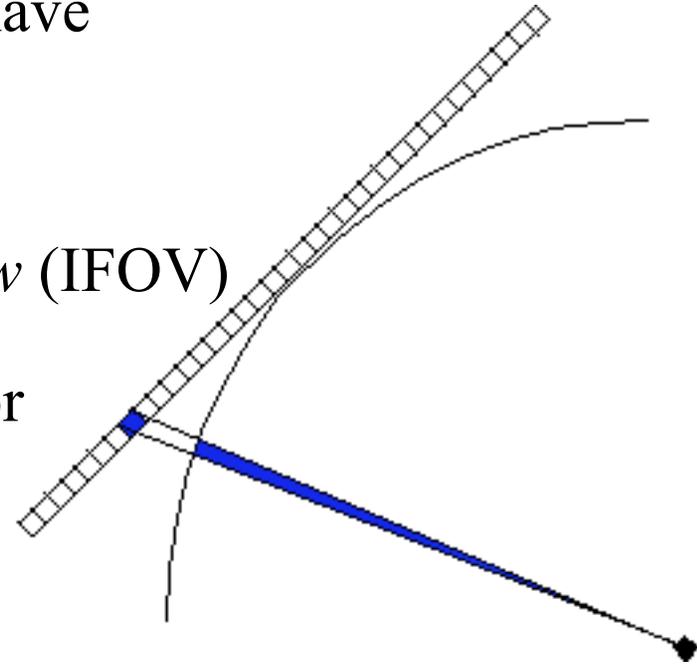
Camera Calibration

high resolution CCD-line cameras have

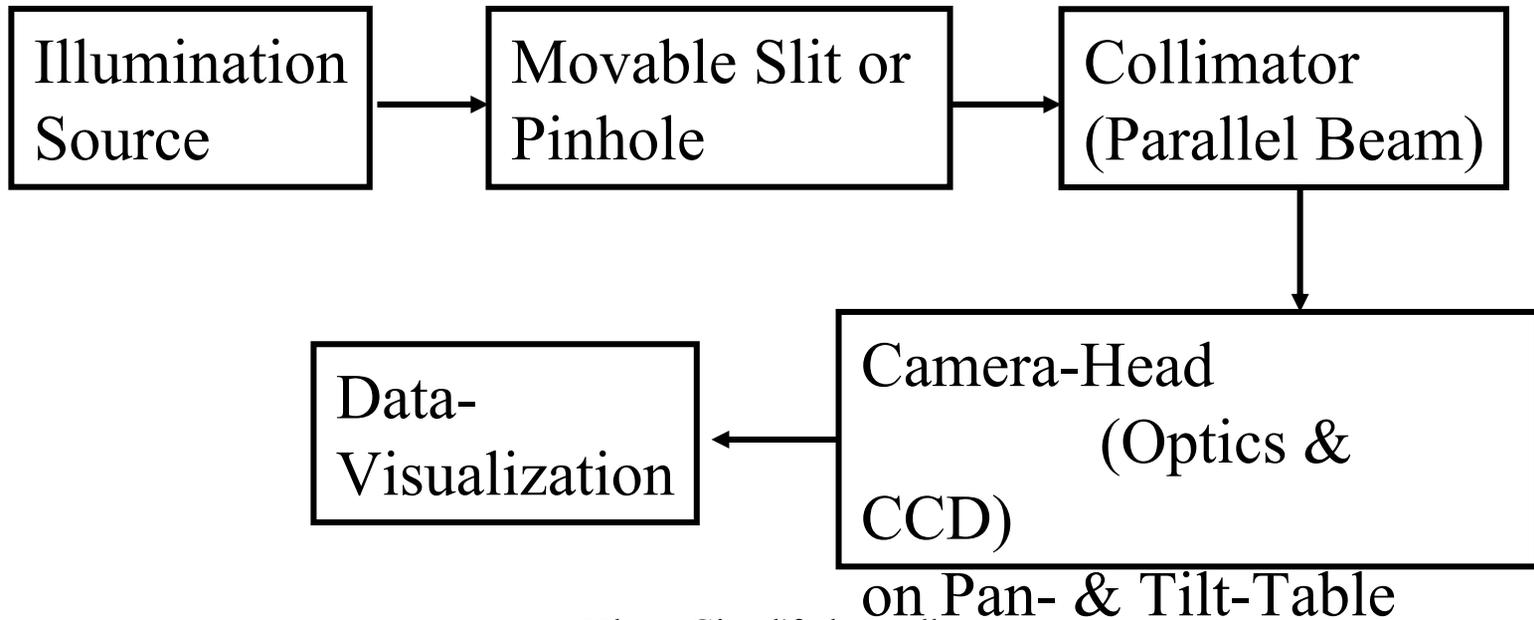
- a **large** *field of view* (FOV) and
- a **small** *instantaneous field of view* (IFOV)

results in high-accuracy demands for

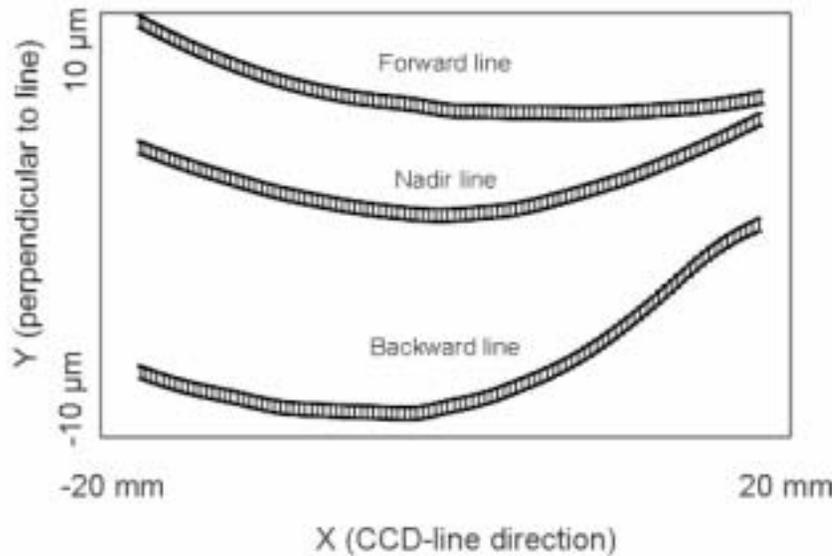
- *geometric* and
- *radiometric calibration*



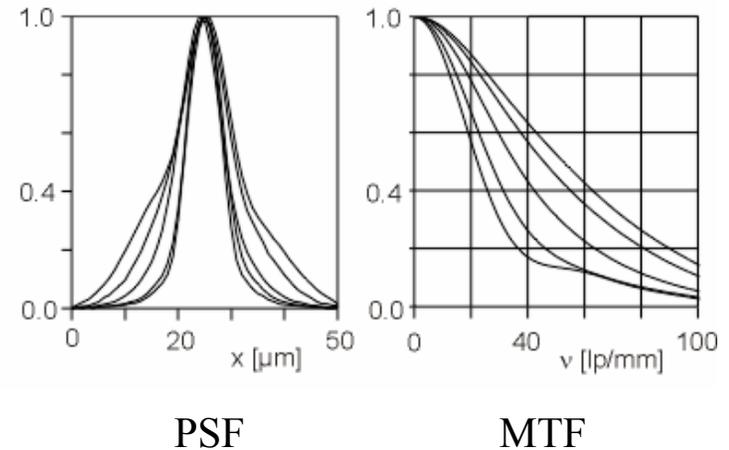
DLR calibration facility



geometric calibration

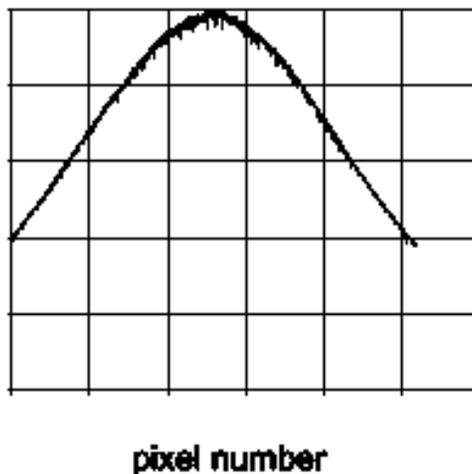


Example: WAAC with 5184 pixels

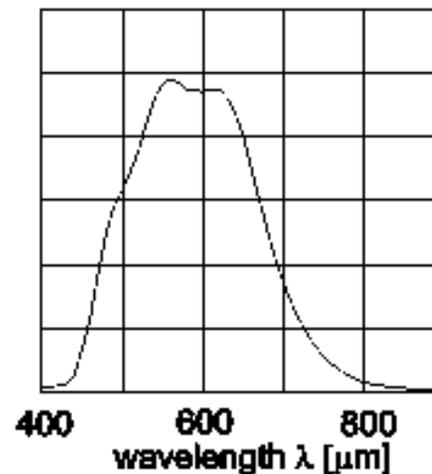


radiometric calibration

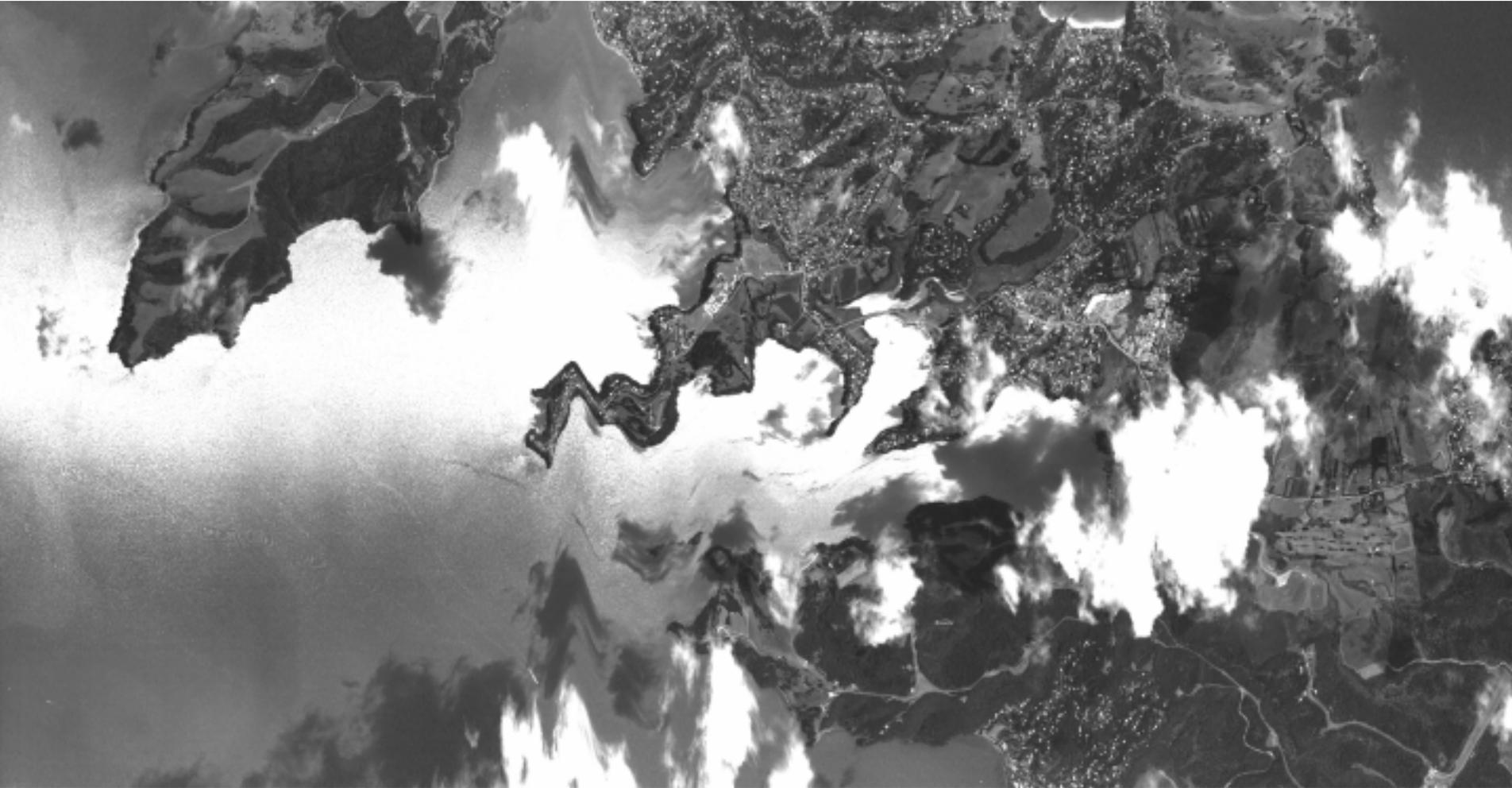
photoresponse
non-uniformity



normalized
spectral
sensitivity



Registration for Airborne Cameras



Rectification of aerial images

Original Scene

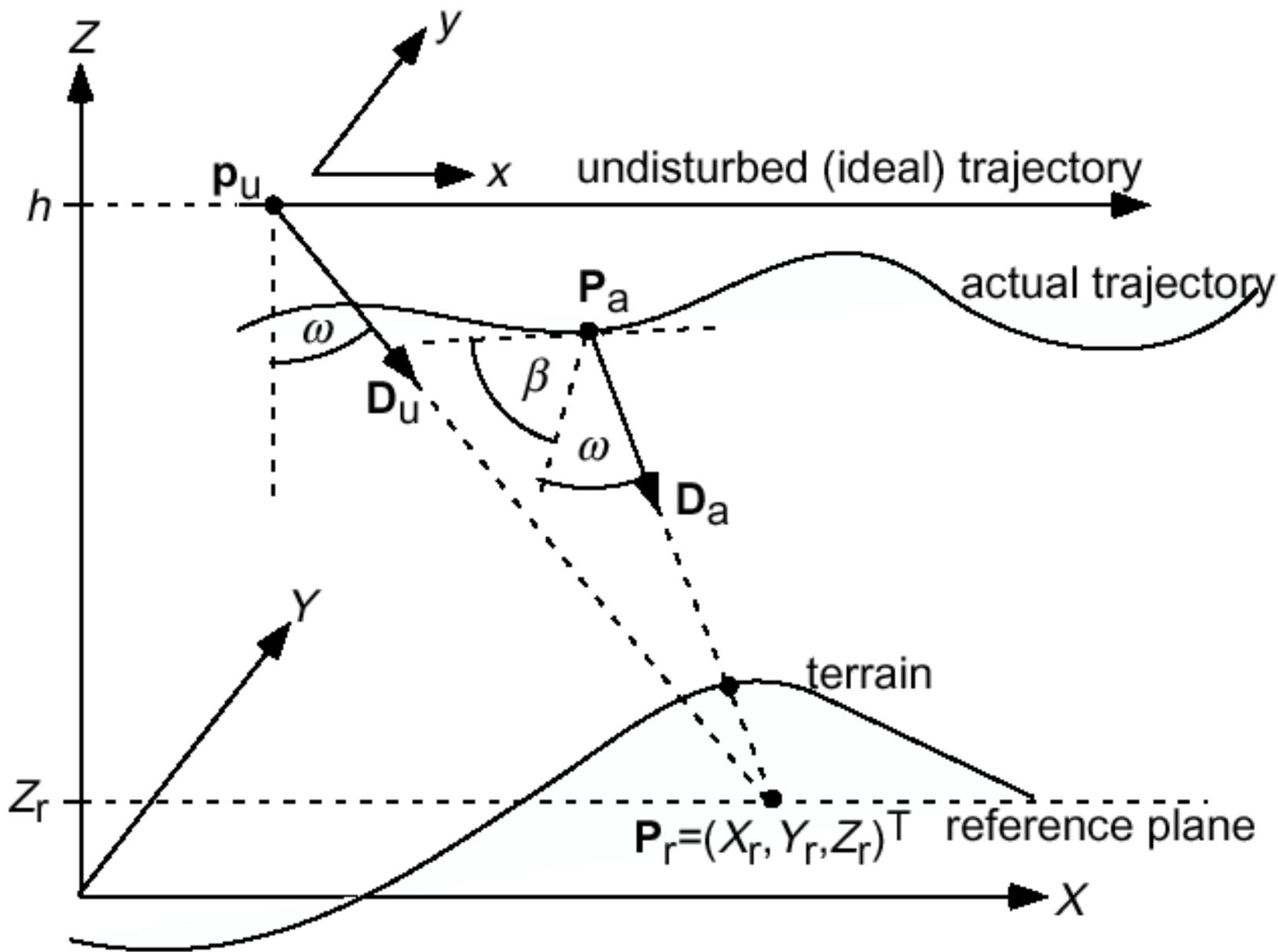
(without gyro stabilization)



applanix system:
one decimeter accuracy

Rectified Scene





TASK: calculate pixel position $\mathbf{p}_u = (x, y, h)$

which “sees” $\mathbf{P}_r = \mathbf{p}_u + t \cdot \mathbf{D}_u$

$$\mathbf{D}_a = \mathbf{R} \cdot \mathbf{D}_u$$

rotation matrix, flight disturbance (roll, pitch, yaw)

$$\mathbf{P}_r = \mathbf{P}_a + s \cdot \mathbf{D}_a = (X_r, Y_r, Z_r)$$

τ = scan time for a single line
 ν = scaling factor for CCD line

$$x = \frac{1}{\nu\tau} \cdot \begin{cases} X_r & \text{if nadir line} \\ X_r \pm (h - Z_r) \tan \omega & \text{if back- or forward line} \end{cases}$$

$$y = \frac{n+1}{2} + \frac{Y_r \cdot f}{(h - Z_r) \cdot \Delta_{IFOV}} \quad (\text{independent of viewing angle})$$

Registration for Panorama Cameras



registration problem due to bridge vibration

no registration problem





times 32



times 16



times 8



times 4



times 2



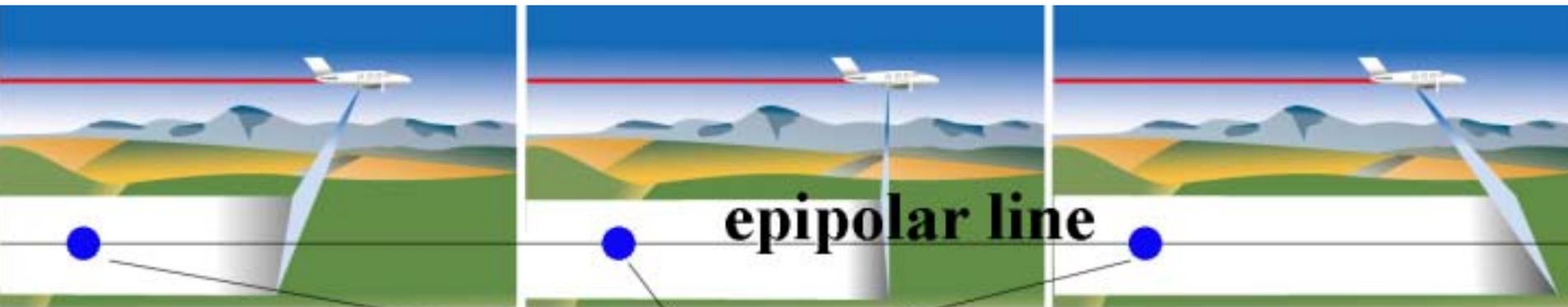
times 1



times .5

Epipolar Geometry

along-track after registration : *simple epipolar geometry*



**corresponding points
are on one epipolar line**

polycentric panoramic images :

different rotation axes, R 's, f 's, ω 's

Fay Huang, Shou-kang Wei and Reinhard Klette

2001, ICCV Vancouver

epipolar curve equations

for

any type of polycentric panoramas

coordinates of corresponding point

in destination image

$$y_d = \frac{f_d Y}{X \sin\left(\frac{2\pi x_d}{W_d} + \omega_d\right) + Z \cos\left(\frac{2\pi x_d}{W_d} + \omega_d\right) - R_d \cos \omega_d}$$

width of destination image

to be calculated from
affine transform **R**, **T** and
parameters of first image

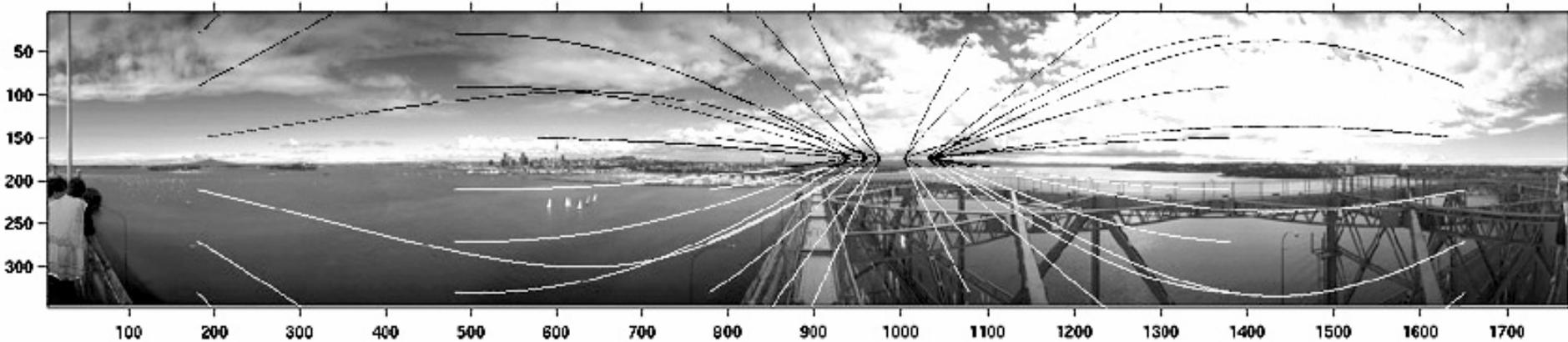
$$\begin{pmatrix} X \\ Y \\ Z \end{pmatrix} = \mathbf{R}(\mathbf{V} + k\mathbf{W})$$

$$k = \frac{R_d \sin \omega_d + \cos\left(\frac{2\pi x_d}{W_d} + \omega_d\right) \mathbf{r}_1^T \cdot \mathbf{V} - \sin\left(\frac{2\pi x_d}{W_d} + \omega_d\right) \mathbf{r}_3^T \cdot \mathbf{V}}{\sin\left(\frac{2\pi x_d}{W_d} + \omega_d\right) \mathbf{r}_3^T \cdot \mathbf{W} - \cos\left(\frac{2\pi x_d}{W_d} + \omega_d\right) \mathbf{r}_1^T \cdot \mathbf{W}}$$

$$\mathbf{V} = \begin{pmatrix} R \sin\left(\frac{2\pi x}{W}\right) \\ 0 \\ R \cos\left(\frac{2\pi x}{W}\right) \end{pmatrix} - \mathbf{T}$$

$$\mathbf{W} = \begin{pmatrix} \sin\left(\frac{2\pi x}{W} + \omega\right) \cos\left(\tan^{-1}\left(\frac{y}{f}\right)\right) \\ \sin\left(\tan^{-1}\left(\frac{y}{f}\right)\right) \\ \cos\left(\frac{2\pi x}{W} + \omega\right) \cos\left(\tan^{-1}\left(\frac{y}{f}\right)\right) \end{pmatrix}$$

Height-aligned polycentric panoramas



same height and parallel rotation axes
 different R 's
 different ω 's
 different f 's

$$y_d = y \cdot \left(\frac{f_d}{f} \right) \cdot \left(\frac{R_d \sin \omega_d - R \sin \left(\frac{2\pi x_d}{W_d} - \frac{2\pi x}{W} + \omega_d \right) - t_x \cos \left(\frac{2\pi x_d}{W_d} + \omega_d \right) + t_z \sin \left(\frac{2\pi x_d}{W_d} + \omega_d \right)}{-R \sin \omega - R_d \sin \left(\frac{2\pi x_d}{W_d} - \frac{2\pi x}{W} - \omega \right) - t_x \cos \left(\frac{2\pi x}{W} + \omega \right) + t_z \sin \left(\frac{2\pi x}{W} + \omega \right)} \right)$$

WAAC

3 line camera

$f = 21.7 \text{ mm}$

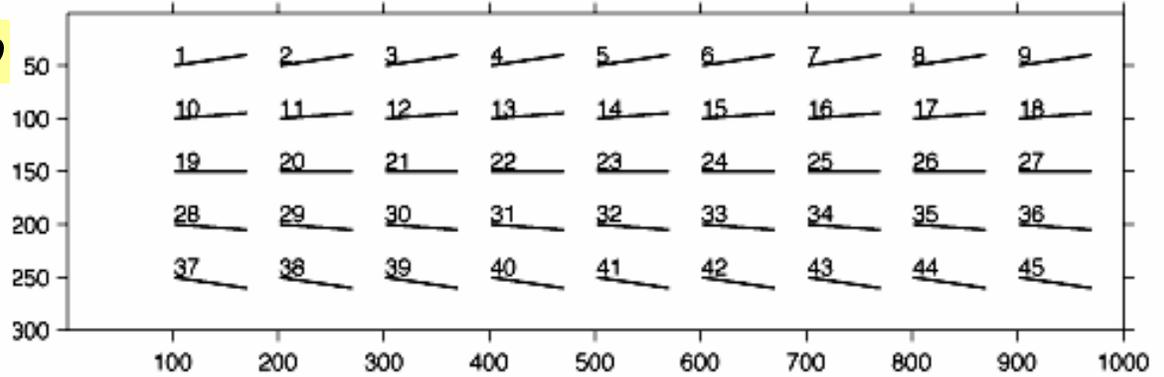
$R = 50 \text{ cm}$

$\omega = 25^\circ$

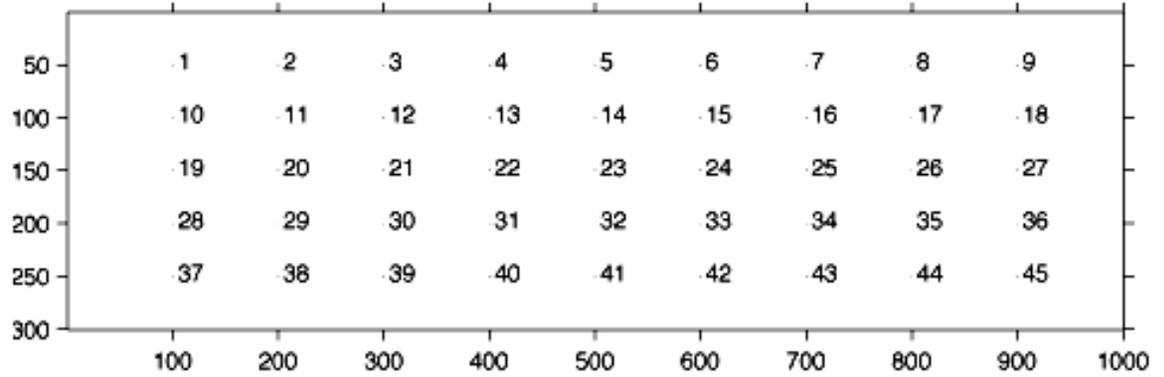
concentric

symmetric
concentric

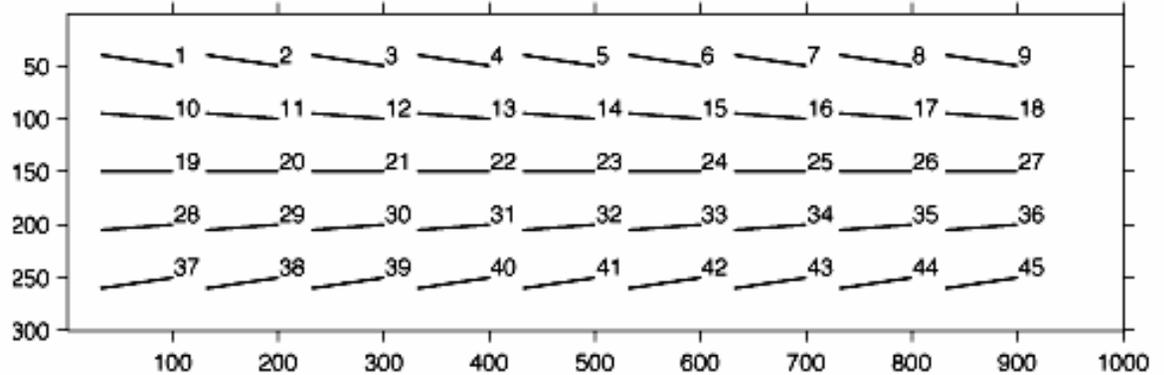
$f / \cos \omega$



f



$f / \cos \omega$



Stereo Matching

find corresponding points (along epipolar lines)

- **Correlation methods**

still the most popular method in digital photogrammetry

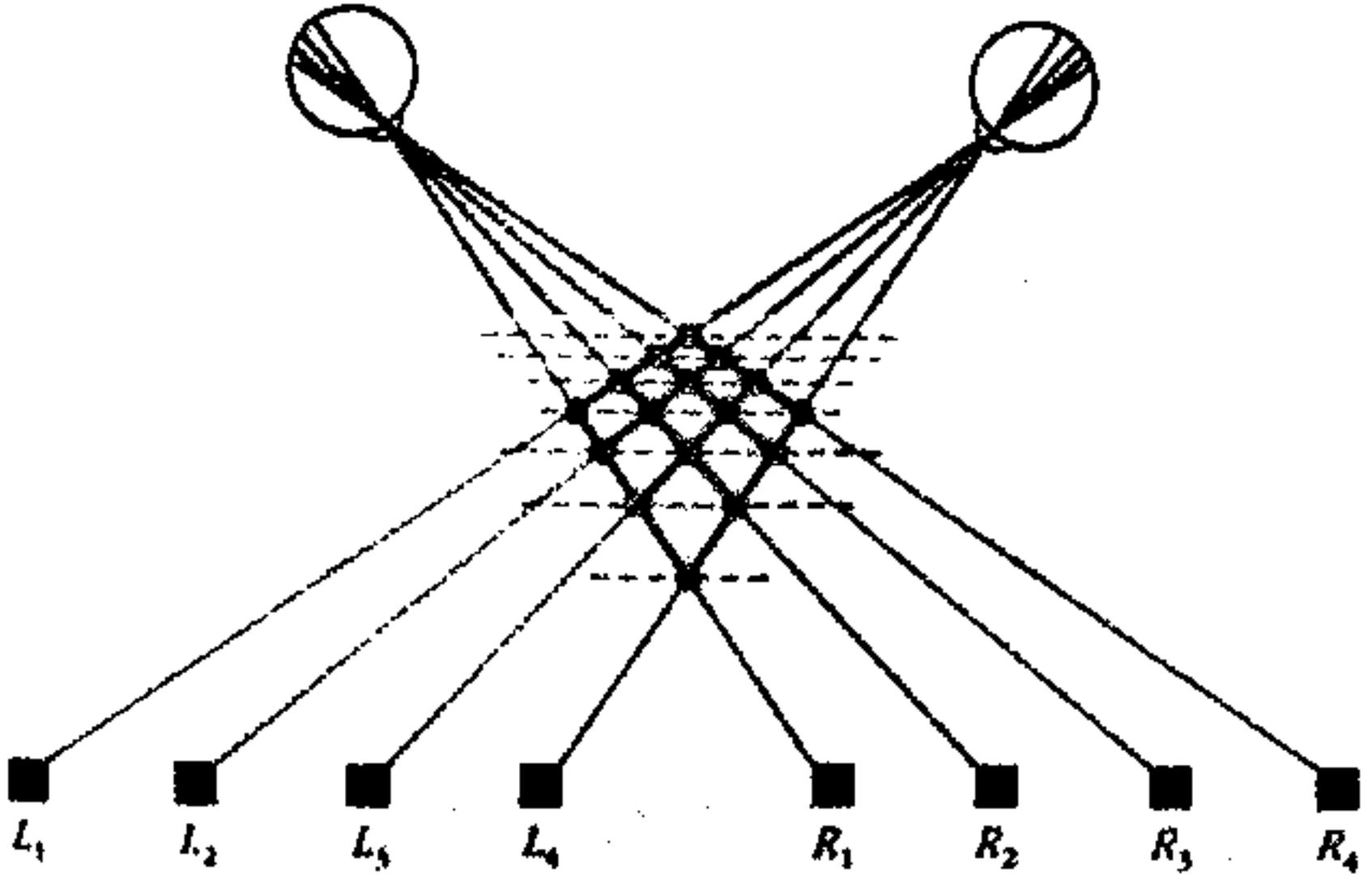
- **Global approaches**

epipolar profiles are modelled by a Markov chain of transitions between neighboring nodes

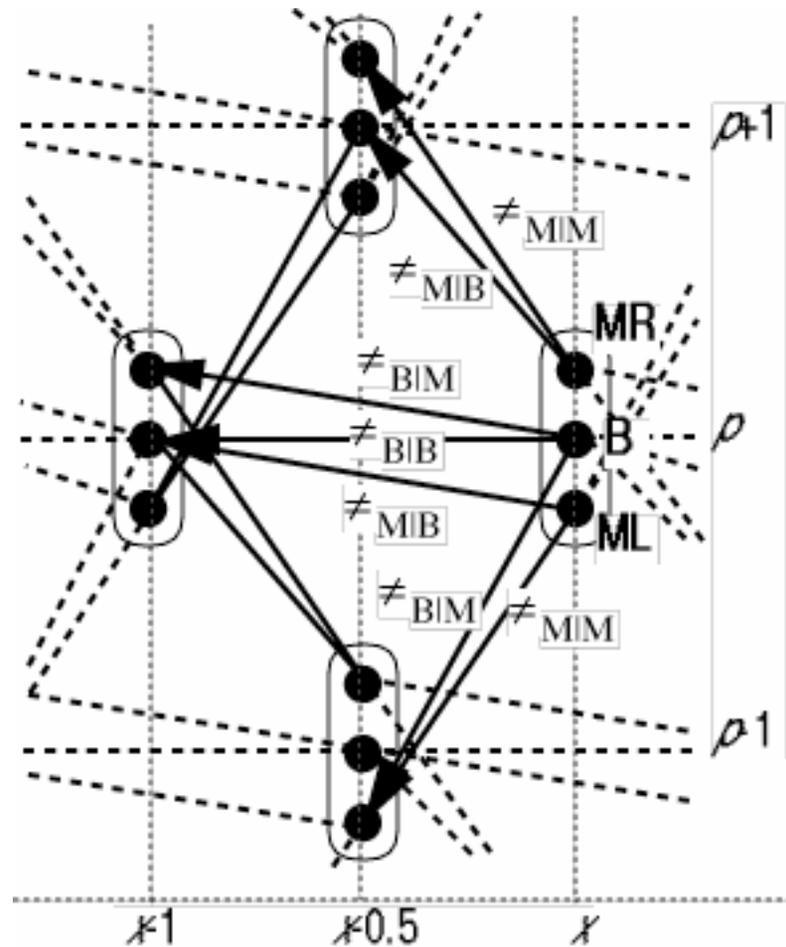
- **Probabilistic regularisation**

search for epipolar lines having a maximum likelihood ratio

illposed problem : different profiles cause identical images



Graph of variants of the height profile



1979

Georgy Gimel'farb - *dynamic programming approach*

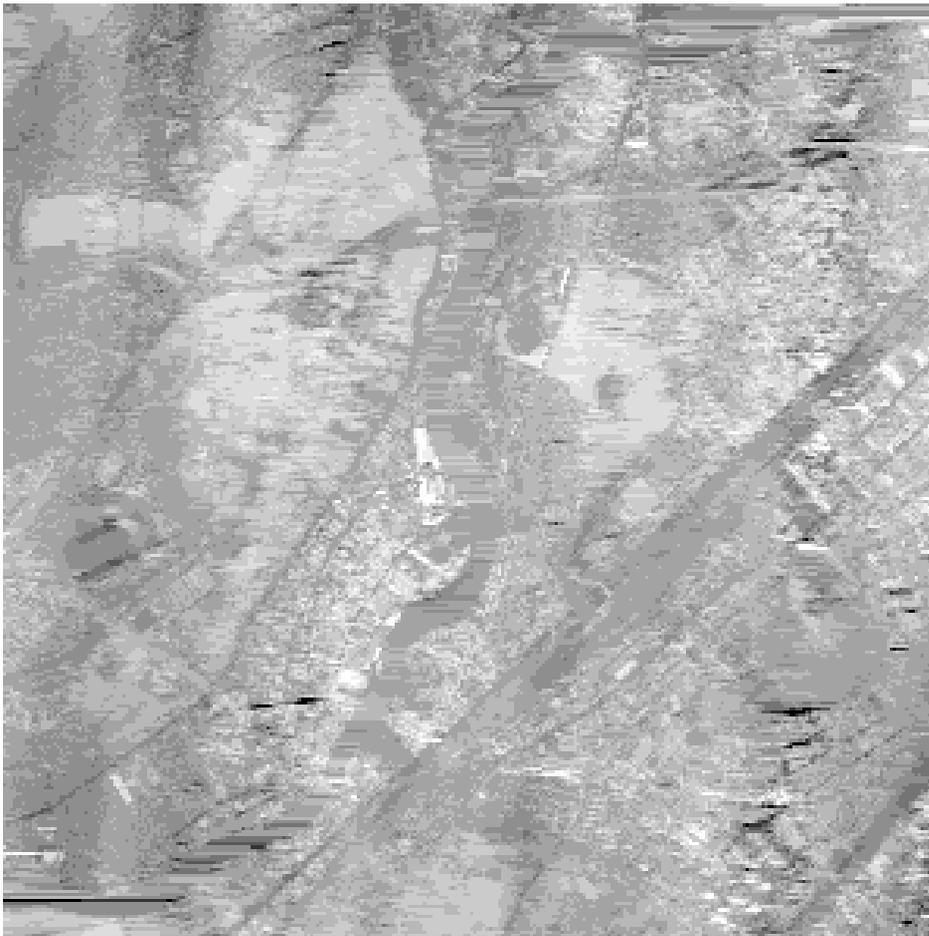
QuickTime?and a
Video decompressor
are needed to see this picture.

1999



WAAC **backward** and **nadir** image
(2400 x 2400 subwindows of larger images)

Symmetric dynamic programming stereo (SDPS) reconstruction



grey-coded range image
(DEM - *digital elevation map*)



cyclopean image
fusion of both images based on DEM

Visualisation

- DEM's
- Texture-mapped 2.5 D surfaces
- Animations (fly-through)
- High-resolution visualisation

2001 Example of a 3.5 Giga Byte panoramic image

7.5cm



times 64



$7.5\text{cm} \times 64 = 480\text{ cm}$

Klette-Gimel'farb-Reulke





times 8



times 4



times 2

half of available resolution



times 64

EyeScan stereo pair of panoramas

($R = 0$ and $\omega = 0$)



very small window in **upper** and **lower** image
(40cm height difference on same tripod position)



SDPS reconstruction: grey-coded **DE M** and **cyclopean image**

QuickTime?and a
Microsoft Video 1 decompressor
are needed to see this picture.

Next step: improve panoramic 3D reconstruction by multi-view data

surface simplification ->

<- incremental surface visualisation

Assume a given surface with n vertices and their neighborhoods, find a series of approximation surfaces with m vertices, $m = i, i+1, \dots, n$, with $i > 0$), or find a series of approximation surfaces with approximation errors $\varepsilon_1 \geq \varepsilon_2 \geq \dots \geq \varepsilon_m \geq 0$, for $m \leq n$.

P = projection of set of surface points into plane

N = two triangles in 3D enclosing P in the plane

V = set of vertices of N

until (approximation threshold satisfied)

let $p \in P$ which introduces maximum error

insert p into V and delete p in P

N = Delaunay retriangulation of N

QuickTime?and a
Video decompressor
are needed to see this picture.

QuickTime?and a
decompressor
are needed to see this picture.

Shao-zheng Zhou

2000

Conclusions

exciting new technology

allowing to have

fully digital photogrammetry

and *new camera designs* ,

e.g. for panoramic images ,

for a *broad diversity of applications*,

with many new

theoretical challenges

(calibration,, stereo analysis)



THE END

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